

100

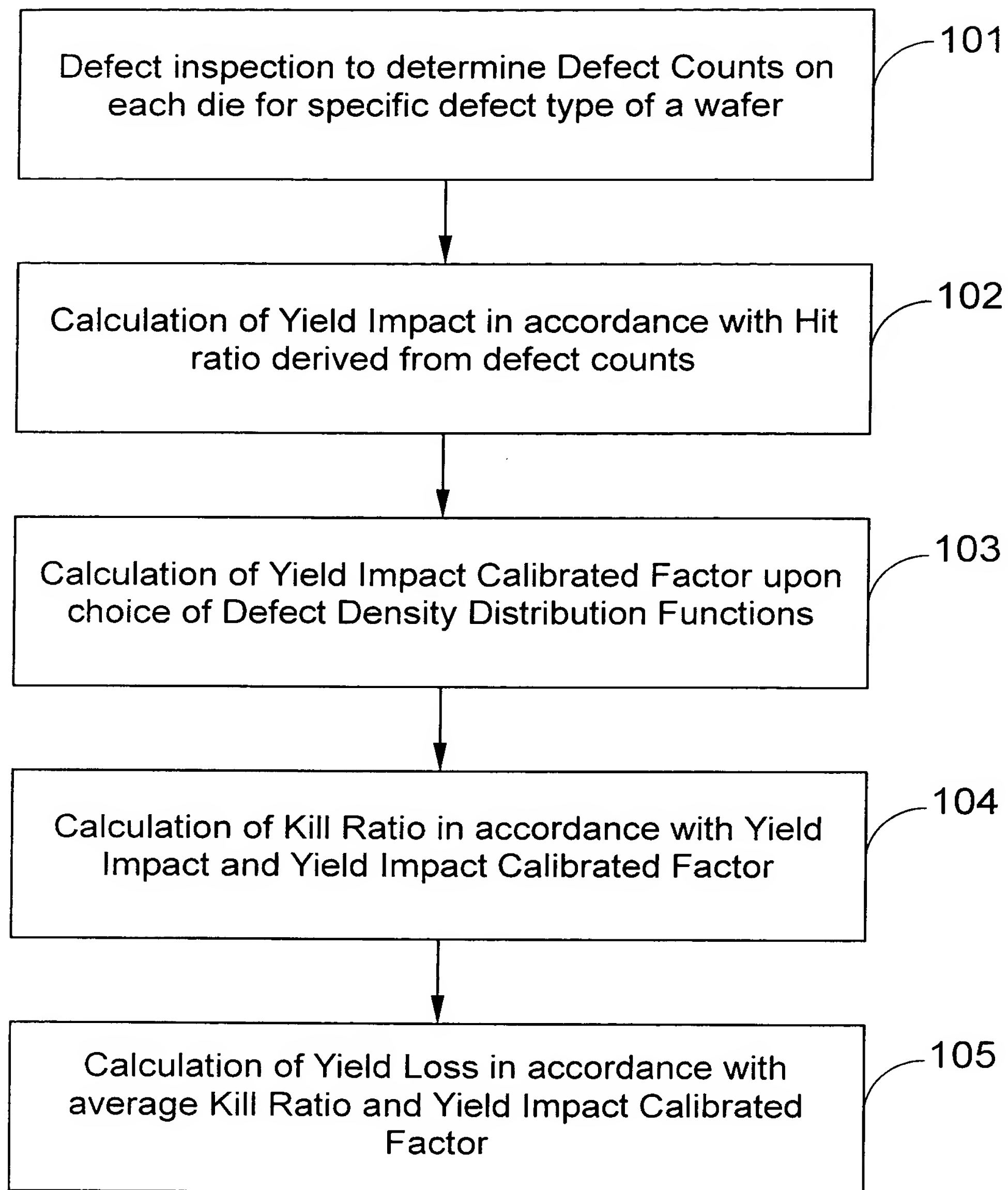


FIG. 1

200

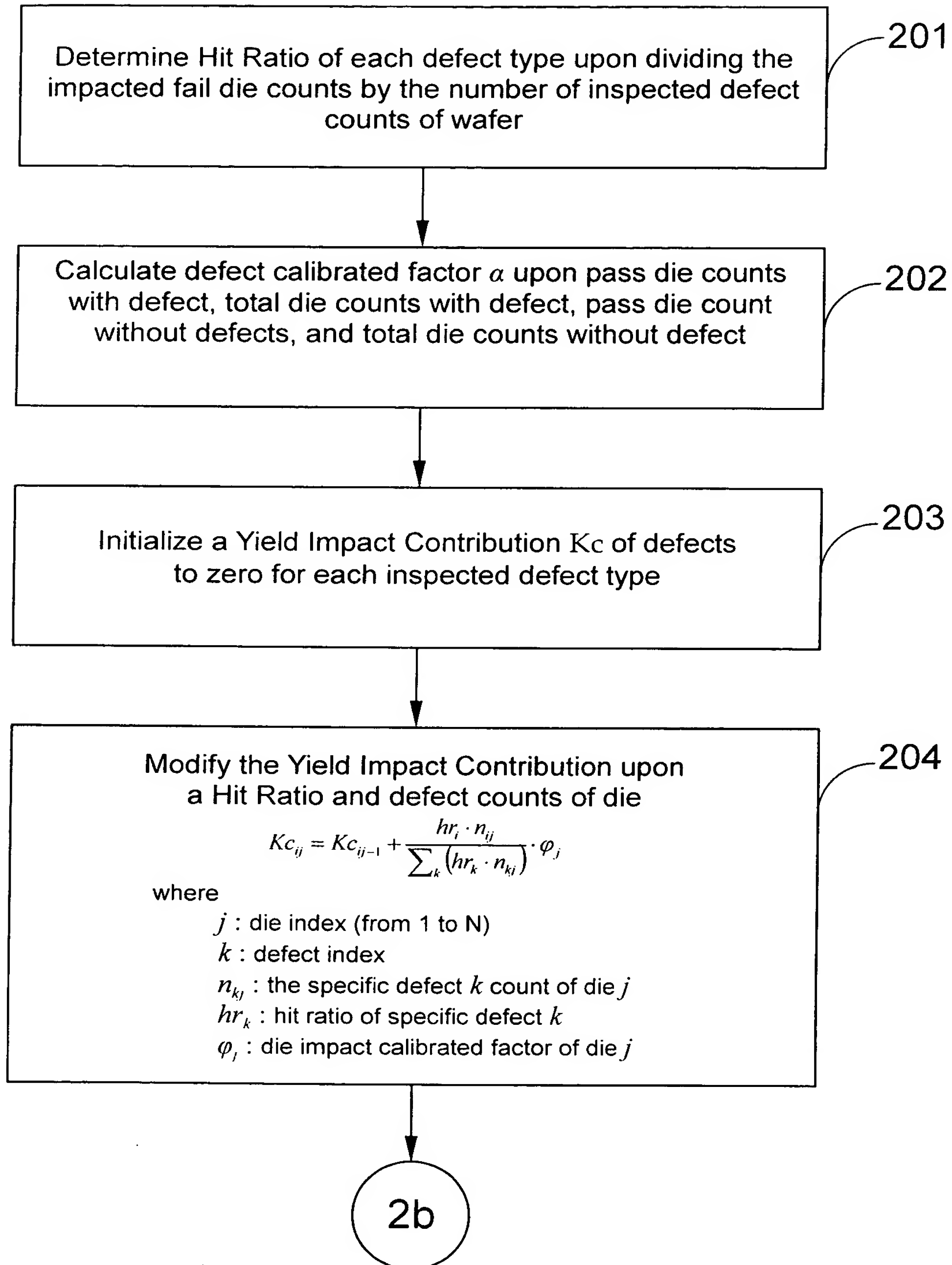


FIG. 2a

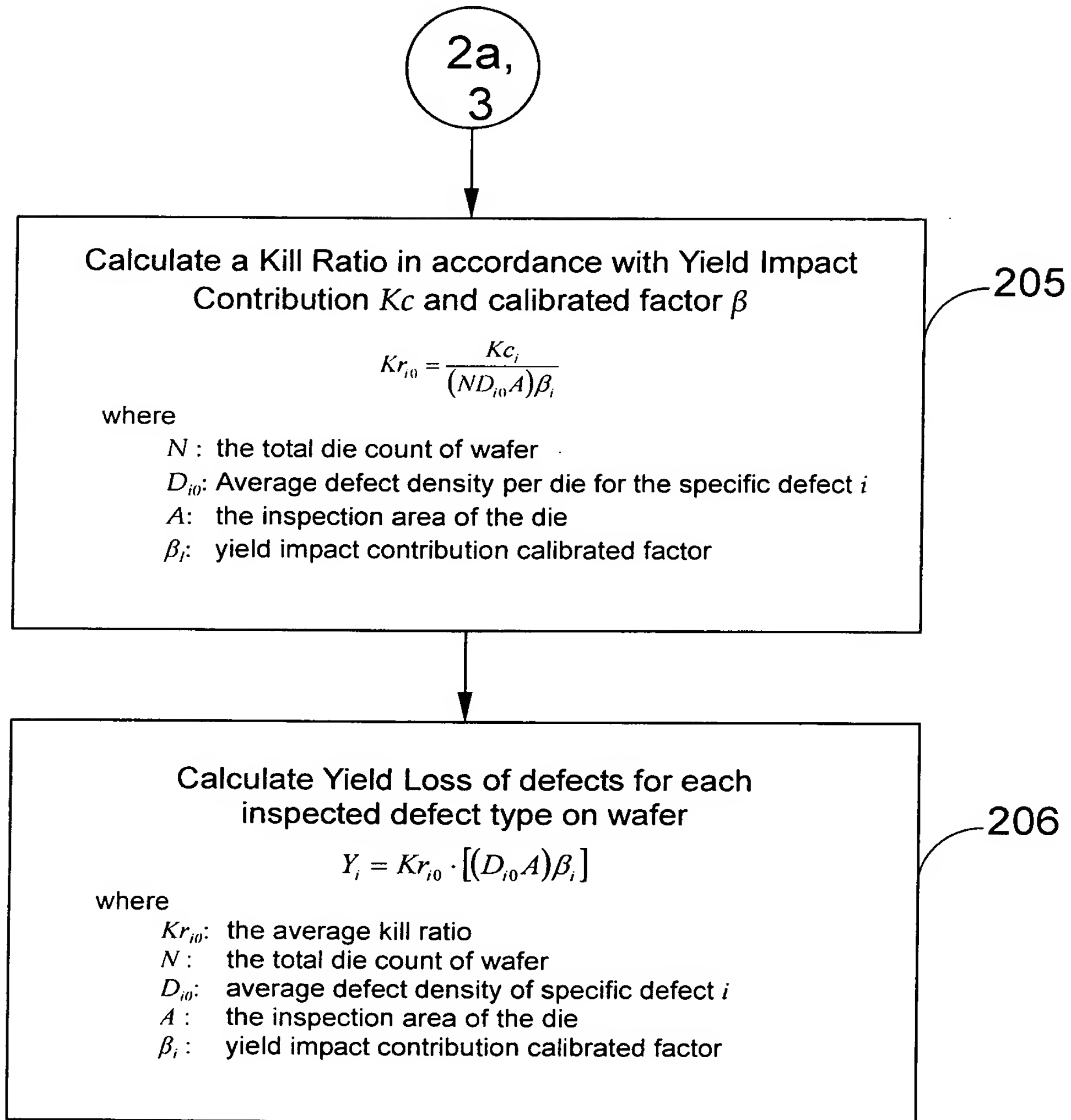


FIG. 2b

300

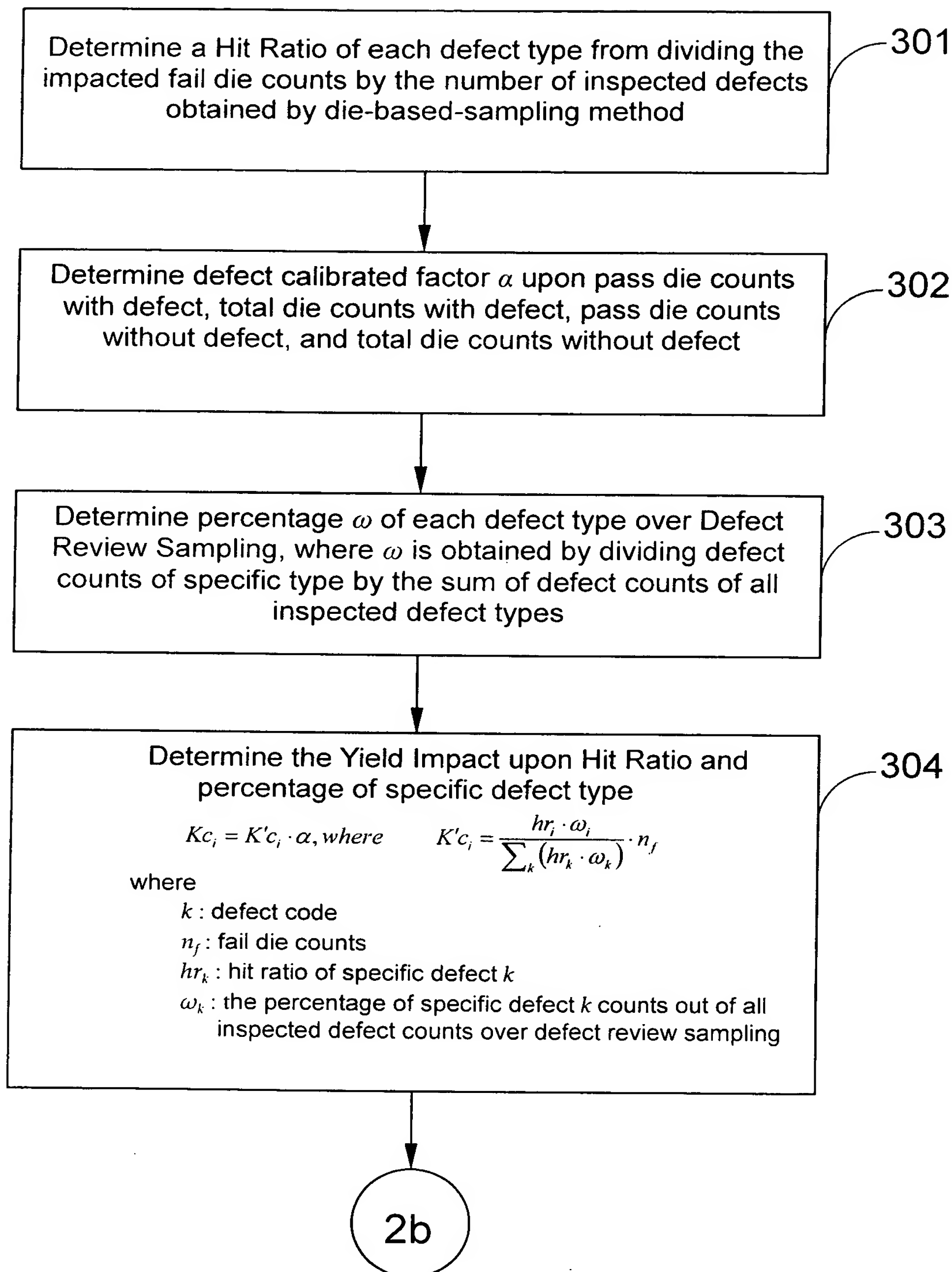
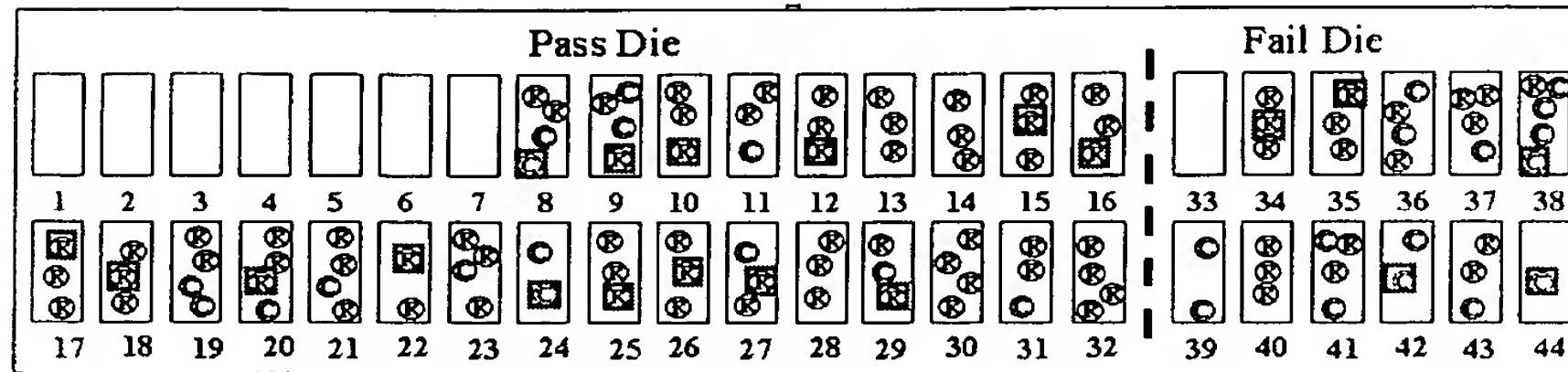


FIG. 3



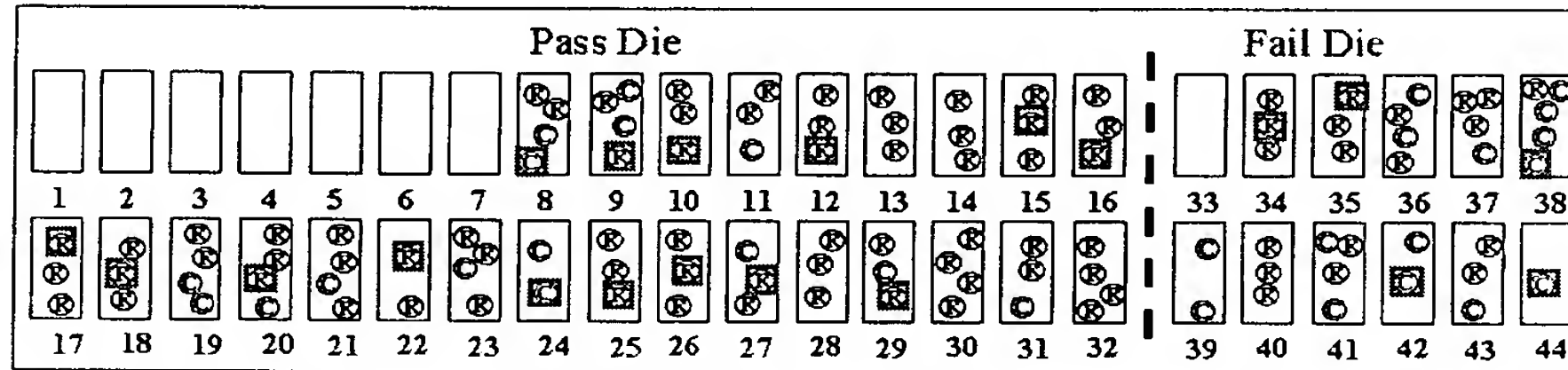
Real classification analysis :

- hit rate : $hr_{\odot} = 8/85 = 0.094$, $hr_{\ominus} = 8/30 = 0.267$
- defect contribution calibrated factor (α) : $\gamma = 0.2063 \times [36/11] = 0.675$
- Start : $K_{c\odot,0} = 0$, $K_{c\ominus,0} = 0$
- Subsequently go through failed dies, modifying

<p>Die 01 : $K_{c\odot,01} = 0$</p> <p>Die 02 : $K_{c\odot,02} = 0 + 0 = 0$</p> <p style="text-align: center;">↓</p> <p>Die 31 : $K_{c\odot,31} = 0 + 0 = 0$</p> <p>Die 32 : $K_{c\odot,32} = 0 + 0 = 0$</p> <p>Die 33 : $K_{c\odot,33} = 0 + 0 = 0$</p> <p>Die 34 : $K_{c\odot,34} = 0 + 1 = 1$</p> <p>Die 35 : $K_{c\odot,35} = 1 + 1 = 2$</p> <p>Die 36 : $K_{c\odot,36} = 2 + (0.094 \times 2) / (0.094 \times 2 + 0.267 \times 2) = 2.260$</p> <p>Die 37 : $K_{c\odot,37} = 2.260 + (0.094 \times 3) / (0.094 \times 3 + 0.267 \times 1) = 2.774$</p> <p>Die 38 : $K_{c\odot,38} = 2.774 + (0.094 \times 1) / (0.094 \times 1 + 0.267 \times 4) = 2.855$</p> <p>Die 39 : $K_{c\odot,39} = 2.855 + 0 = 2.855$</p> <p>Die 40 : $K_{c\odot,40} = 2.855 + 1 = 3.855$</p> <p>Die 41 : $K_{c\odot,41} = 3.855 + (0.094 \times 2) / (0.094 \times 2 + 0.267 \times 2) = 4.115$</p> <p>Die 42 : $K_{c\odot,42} = 4.115 + 0 = 4.115$</p> <p>Die 43 : $K_{c\odot,43} = 4.115 + (0.094 \times 2) / (0.094 \times 2 + 0.267 \times 1) = 4.528$</p> <p>Die 44 : $K_{c\odot,44} = 4.528 + 0 = 4.528$</p> <p>Modify : $K_{c\odot} = 4.528 \times 0.675 = 3.056$</p>	<p>$K_{c\ominus,01} = 0$</p> <p>$K_{c\ominus,02} = 0 + 0 = 0$</p> <p style="text-align: center;">↓</p> <p>$K_{c\ominus,31} = 0 + 0 = 0$</p> <p>$K_{c\ominus,32} = 0 + 0 = 0$</p> <p>$K_{c\ominus,33} = 0 + 0 = 0$</p> <p>$K_{c\ominus,34} = 0 + 0 = 0$</p> <p>$K_{c\ominus,35} = 0 + 0 = 0$</p> <p>$K_{c\ominus,36} = 0 + (0.267 \times 2) / (0.094 \times 2 + 0.267 \times 2) = 0.740$</p> <p>$K_{c\ominus,37} = 0.740 + (0.267 \times 1) / (0.094 \times 3 + 0.267 \times 1) = 1.226$</p> <p>$K_{c\ominus,38} = 1.226 + (0.267 \times 4) / (0.094 \times 1 + 0.267 \times 4) = 2.145$</p> <p>$K_{c\ominus,39} = 2.145 + 1 = 3.145$</p> <p>$K_{c\ominus,40} = 3.145 + 0 = 3.145$</p> <p>$K_{c\ominus,41} = 3.145 + (0.267 \times 2) / (0.094 \times 2 + 0.267 \times 2) = 3.885$</p> <p>$K_{c\ominus,42} = 3.885 + 1 = 4.885$</p> <p>$K_{c\ominus,43} = 4.885 + (0.267 \times 1) / (0.094 \times 2 + 0.267 \times 1) = 5.472$</p> <p>$K_{c\ominus,44} = 5.472 + 1 = 6.472$</p> <p>$K_{c\ominus} = 6.472 \times 0.675 = 4.369$</p>
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- If the defect distribution on probability follow Poisson model's assumption, $P(D) = D_0$, see below

$Kr_{\odot} = 3.056/85 = 0.036$,	$Kr_{\ominus} = 4.369/30 = 0.146$
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FIG. 4



\odot DTMOPLY defect count : 85
 \ominus C2 ETCH PLY defect count : 30
 \square classification sampling : 20 (\odot : 15, \ominus : 5)

Sampling classification model :

- hit rate : $hr_{\odot} = 2/15 = 0.133$, $hr_{\ominus} = 3/5 = 0.6$
- defect contribution calibrated factor (α) : $\gamma = 0.2063 \times [36/11] = 0.675$
- $\omega_{\odot} = (15/20) = 0.75$, $\omega_{\ominus} = (5/20) = 0.25$
- $(hr_{\odot} \times \omega_{\odot}) / (hr_{\odot} \times \omega_{\odot} + hr_{\ominus} \times \omega_{\ominus}) = (0.75 \times 0.133) / ((0.75 \times 0.133) + 0.25 \times 0.6) = 0.400$,
 $(hr_{\ominus} \times \omega_{\ominus}) / (hr_{\odot} \times \omega_{\odot} + hr_{\ominus} \times \omega_{\ominus}) = (0.25 \times 0.6) / ((0.75 \times 0.133) + 0.25 \times 0.6) = 0.600$
- $n_f = 11$
- $K_{c\odot} = 0.400 \times 11 \times 0.675 = 2.97$, $K_{c\ominus} = 0.600 \times 11 \times 0.675 = 4.455$
 $Kr_{\odot} = 2.97/85 = 0.035$, $Kr_{\ominus} = 4.455/30 = 0.149$

FIG. 5

Table A. $f(D_0)$ Reference Table			
Condition (defect distribution probability function)	Author / Issued Year	Yield Model (Y_{die})	Yield Loss Model : $Y_{loss} = f(D_0)$
$P(D) = D_0$	Hofstein and Heiman / 1963	$Y_{die} = e^{-D_0 A}$	$Y_{loss} = (1 - e^{-D_0 A}) \cong D_0 A$
$P(D) = D / D_0^2$ for $0 \leq D \leq D_0$ $2 / D_0 - D / D_0^2$ for $0 \leq D \leq 2D_0$	Murphy / 1964	$Y_{die} = [(1 - e^{-D_0 A}) / D_0 A]^2$	$Y_{loss} = 1 - [(1 - e^{-D_0 A}) / D_0 A]^2$
$P(D) = e^{-D/D_0} / D_0$	Seeds / 1967	$Y_{die} = 1 / (1 + D_0 A)$	$Y_{loss} = 1 - [1 / (1 + D_0 A)]$

FIG. 6

average defect density per die	Seeds model (Yield loss)	Poisson model (Yield loss)
0.1	1.00	1
0.2	1.83	2
0.3	2.54	3
0.4	3.14	4
0.5	3.67	5
0.6	4.13	6
0.7	4.53	7
0.8	4.89	8
0.9	5.21	9
1	5.50	10
1.1	5.76	11
1.2	6.00	12
1.3	6.22	13
1.4	6.42	14
1.5	6.60	15
1.6	6.77	16
1.7	6.93	17
1.8	7.07	18
1.9	7.21	19
2	7.33	20

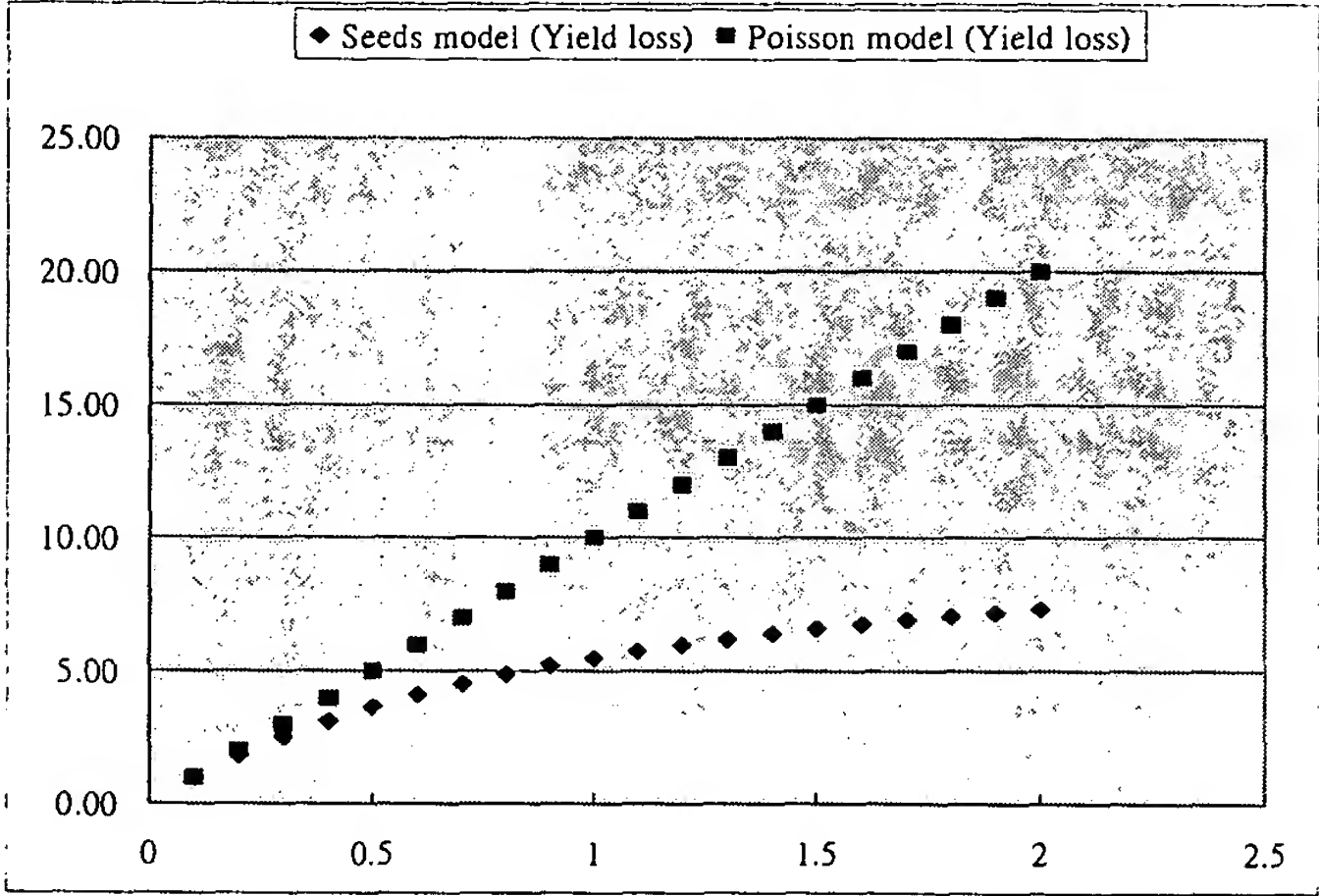


FIG. 7